

CALCULATION OF K-FACTOR AND R-VALUE

K-Factor

Heat is measured in British Thermal Units (BTUs). One BTU is the amount of heat needed to raise the temperature of one pound of water by one degree Fahrenheit. Thermal conductivity (k-factor) is the measure of a material's ability to transfer heat. Materials which transfer heat readily have high k-factors, like steel (228 Btu-in/hr-ft²-°F @ 75°F mean temperature), and are classified as conductors. On the other hand, substances that do not transfer heat readily (poor conductors), have low k-factors and are classified as insulators such as elastomeric or polyolefin flexible closed cell foam insulations (0.25 – 0.27 Btu-in/hr-ft²-°F @ 75°F mean temperature).

The actual k-factor is based on the number of BTUs per hour that pass through a one inch (1") thick by one foot (1') square section of insulation with a 1°F temperature difference between the two surfaces. Insulation materials usually have k-factors less than one and are reported at what is called Mean Temperature. To determine the mean temperature, measure the surface temperatures on both sides of the insulation, add them together and divide by two. When comparing the insulation value of different types of insulation it's important to look at the k-factor AND the mean temperature. As mean temperature rises, the k-factor on some insulation materials also increase.

Technical **Information Bulletin TIB-009A** discusses the effect of mean temperature on the k-factor of closed cell foam insulation.

R-Value

The National Commercial & Industrial Insulation Standards Manual defines R-Value as “A *measure of the ability to retard heat flow rather than to transmit heat.*” The higher the R-Value, the higher (better) the insulation value.

Determining the R-Value for flat insulation is easy. Simply divide the thickness of the insulation by its k-factor:

$$\text{For flat insulation,} \quad R\text{-value} = \frac{\text{Thickness (in)}}{\text{k-factor (BTU-in/hr-ft}^2\text{-°F)}}$$

Determining the R-Value for tubular insulation is more complex since the outer surface area of the insulation is proportionately greater than the inner (in contact with the pipe) surface area. To compensate for this difference, an “equivalent thickness” calculation must first be done:

$$\text{For tubular insulation,} \quad R\text{-value} = \frac{\text{*Equivalent Thickness (in)}}{\text{k-factor (BTU-in/hr-ft}^2\text{-°F)}}$$

$$\text{*Equivalent Thickness} = r_2 \times \ln(r_2/r_1)$$

where:

ln = Natural log function

r₁ = inner radius of insulation (in)

r₂ = outer radius of insulation (in)

